o: R13102 (R13) (SET	Г-1
I B. Tech I Semester Supplementary Examinations, November - 2020 MATHEMATICS-I (Com. to all branches)	
hours Max. Marks	s: 70
 Note: 1. Question paper consists of two parts (Part-A and Part-B) 2. Answering the question in Part-A is Compulsory 3. Answer any THREE Questions from Part-B 	
<u>PART –A</u>	
A Find the orthogonal trajectories of $r = a(1 - \cos \theta)$.	(4M
Solve the differential equations.	(4M
$y^{11} - 2y^1 + 10y = 0$, Given y (0) = 4, y1 (0) = 1.	
Solve $4\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} = 3u$ and $u(0, y) = e^{-5y}$ by the method of separation of	
variables.	(4M
Expand $\log \sin x$ in powers of $(x-3)$ using Taylor's series method.	(4N
Find inverse Laplace transform of $\frac{6s-5}{s^2+7}$	(3N
From the partial differential equation by eliminating arbitrary constants from the $z = axy$	(3N
PART -B	
Solve the D.E $(x^{2} + y^{2} + x)dx + xydy = 0$.	(8N
If air is maintained at 20° C and temperature of the body cools from 80° C to 60° C	(8N
in 10 minutes. Find the temperature of the body after 30 minutes.	
Solve the D.E $(D^2 - 4D + 4)y = x^2 \sin x + e^{2x} + 3$	(8M
Solve the D.E $(D^2+1)y = x^2 \cosh x$	(8N
If $L\{f(t)\} = log\left(\frac{s+3}{s+1}\right)$ then find(i) $L\{f(2t)\}$ (ii) $L\{e^{3t}f(2t)\}$	(8M
Find $L^{-1}\left\{\frac{s}{(s^2+\omega^2)^2}\right\}$ Using convolution theorem.	(8M
1 of 2	
	(c: R13102 (R13) (SET) (IB. Tech I Semester Supplementary Examinations, November - 2020 (Com. to all branches) (Com. to all branches) Note: 1. Question paper consists of two parts (Part-A and Part-B) 2. Answering the question in Part-A is Compulsory 3. Answer any THREE Questions from Part-B (Com. to all branches) (Part - A A Find the orthogonal trajectories of $r = a(1 - \cos\theta)$. Solve the differential equations. $y^{11} - 2y^1 + 10y = 0$, Given $y(0) = 4$, $y1(0) = 1$. Solve $4\frac{\partial u}{\partial x} + \frac{\partial u}{\partial y} = 3u$ and $u(0, y) = e^{-5y}$ by the method of separation of variables. Expand logsin x in powers of $(x-3)$ using Taylor's series method. Find inverse Laplace transform of $\frac{6s-5}{s^2+7}$ From the partial differential equation by eliminating arbitrary constants from the z = avy PART -B Solve the D.E $(x^2 + y^2 + x)dx + xydy = 0$. If air is maintained at 20°C and temperature of the body cools from 80°C to 60°C in 10 minutes. Find the temperature of the body after 30 minutes. Solve the D.E $(D^2 - 4D + 4)y = x^2 \sin x + e^{2x} + 3$ Solve the D.E $(D^2 + 1)y = x^2 \cos h x$ $IL\{f(t)\} = log(\frac{s+3}{(s^2+w^2)^2})$ Using convolution theorem. 1 of 2

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- 5. a) Prove that the functions $u = x^2 e^{-y} \cosh z$, $v = x^2 e^{-y} \sinh z$ and $w = 3x^4 e^{-2y}$ are (8M) functionally dependent and hence find the relation between them.
 - b) Find extreme values of the function $f(x, y) = \cos x + \cos y + \cos(x + y)$ (8M)
- 6. a) Find complete and singular solutions of the $z = px + qy + \frac{p}{q} p$. (8M)

b) Solve the PDE
$$z(x - y) = px^2 - qy^2$$
 (8M)

7. A tightly stretched with fixed end points x = 0, x = l is initially at rest in its (16M) equilibrium position. If it is vibrating by giving to each of its points a velocity $\lambda x(l-x)$. Find the displacement of the string at any distance x from one end a long time t.

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